

# LIGHT SCATTERING FROM A DROP WITH AN EMBEDDED SPHERICAL PARTICLE FOR THE TIME-SHIFT TECHNIQUE

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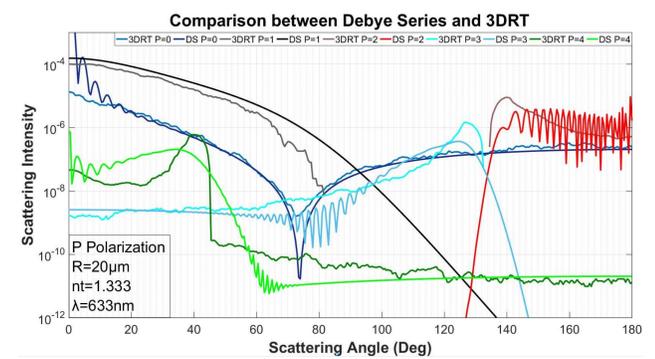
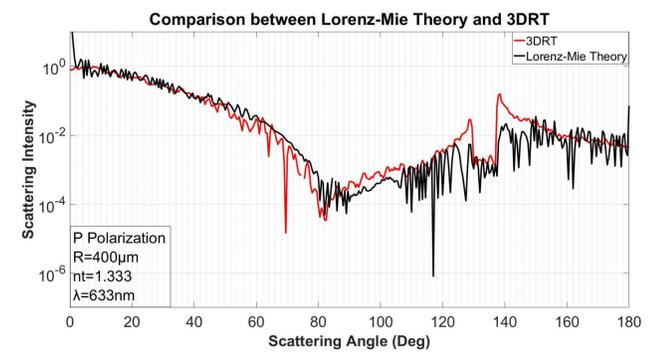
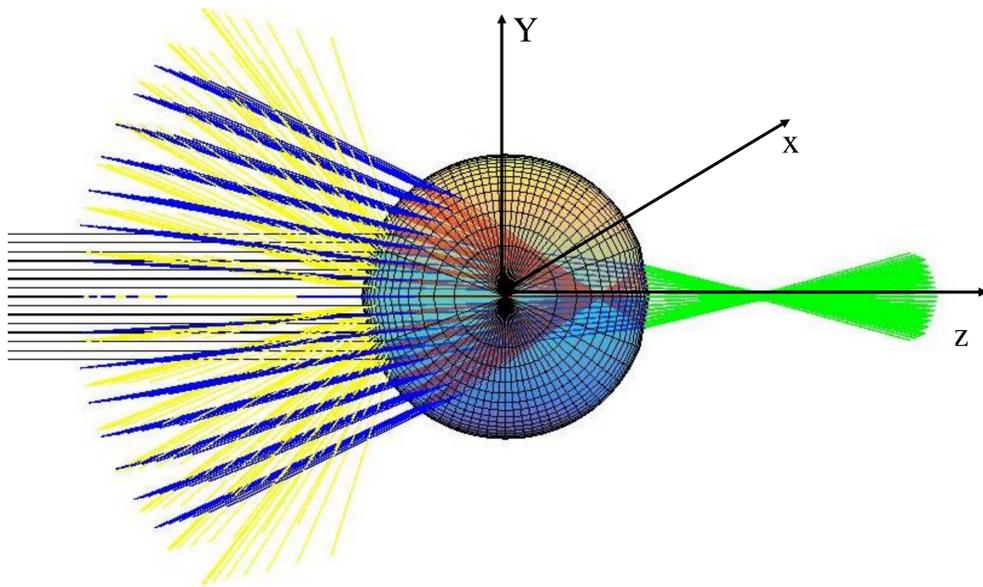
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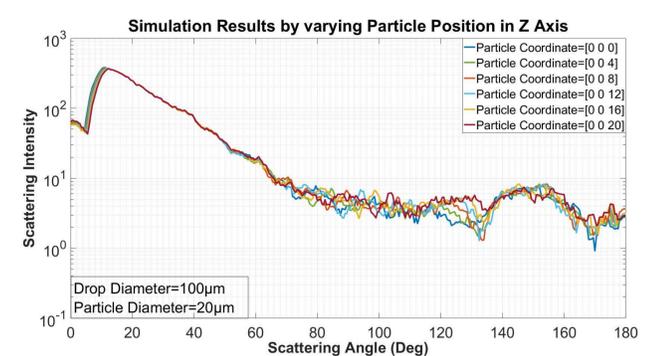
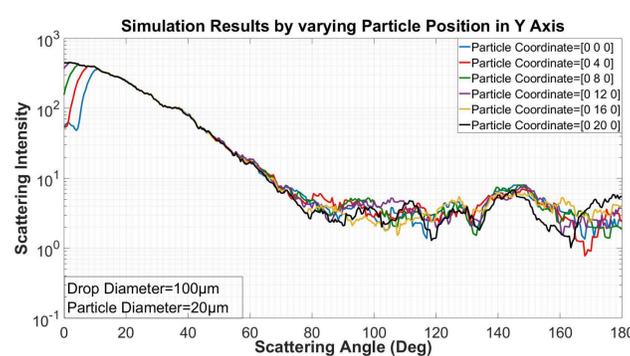
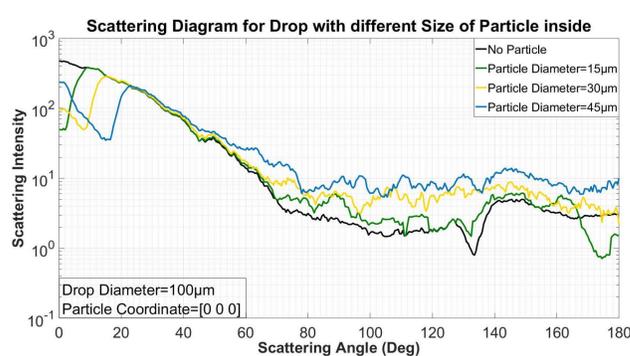
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## Three-Dimensional Ray Tracing Technique (3DRT)

This study is devoted to light scattering from drops with an embedded, reflecting particle, as would be expected in an encapsulation / coating process or with spraying of metallic paints. The present study falls within a broader effort to explore the possibility of utilizing the time-shift technique for such characterization tasks. Ray tracing is used, computing the trajectories of a large number of incident rays defined by an incident plane wave and superimposing all rays scattered in a given direction to result in a scattering diagram. Rays up to  $p=10$  are used to compute the scattered light intensity field. Verification of the simulations is performed through comparison with selected, known solutions.

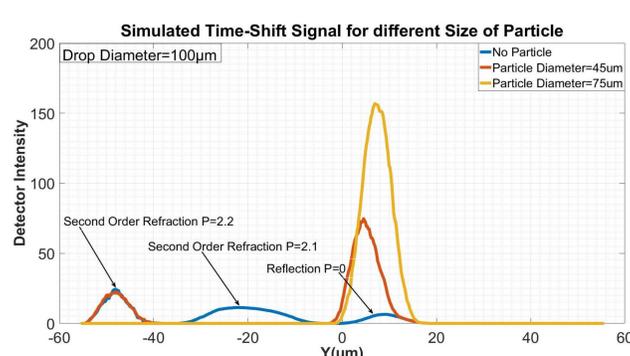
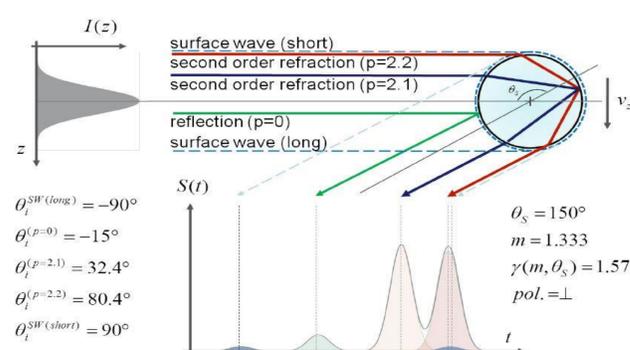


## Light Scattering Diagram for Drop with an Embedded Particle



The position of the particle can be varied in x, y and z directions. The calculation results show that forward scattering is less sensitive to changes of particle position in the z direction. The size of embedded particle has a significant influence on the forward scattering intensity.

## Light Scattering Simulation for the Time-Shift Technique



The ray tracing program can simulate the time-shift signal for a droplet passing through the measurement volume. In this case the incident wave is a highly focused Gauss beam ( $w=10\mu\text{m}$ ). In this example, when the diameter of the particle is  $45\mu\text{m}$ , the signal of the scattering order  $p=2.1$  vanishes. When the diameter of the particle is above  $75\mu\text{m}$ , both of the second order refraction  $p=2.1$  and  $p=2.2$  vanish, because the particle blocks the internal transmission of the light.

1. Philip Laven, "Simulation of rainbows, coronas, and glories by use of Mie theory," Appl. Opt. 42, 436-444 (2003)

2. Walter Schäfer and Cameron Tropea, "Time-shift technique for simultaneous measurement of size, velocity, and relative refractive index of transparent droplets or particles in a flow," Appl. Opt. 53, 588-597 (2014)